

Synthesis and Optimization of Digital Circuits

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Errata in the 4th print (as of March 6, 2014)

- Page 209: Line: 14
 - *Errata:* v_a
 - *Corrige:* v_4
- Page 209: Line: -1
 - *Errata:* Algorithm 5.5.1
 - *Corrige:* Algorithm 5.4.3
- Page 214: Line: -4
 - *Errata:* Algorithm 5.4.3
 - *Corrige:* Algorithm 5.4.4
- Page 258: Line: 14
 - *Errata:* parallel,
 - *Corrige:* serial,
- Page 290: Lines: 11-12
 - *Errata:* $p_1 = 1$ and $p_2 = 2$.
 - *Corrige:* $p_1 = 2$ and $p_2 = 3$.
- Page 309: Lines: 1-7
 - *Errata:* The third sentence in the proof.
 - *Corrige:* Hence the maximally reduced cube is: $\tilde{\alpha} = \text{supercube}(\alpha \cap Q') = (\alpha \cap (\text{supercube}(\alpha \cap Q'))_{\alpha}) \cup (\alpha' \cap (\text{supercube}(\alpha \cap Q'))_{\alpha'}) = \alpha \cap (\text{supercube}(\alpha \cap Q'))_{\alpha}$ because $(\alpha \cap Q') \subseteq \alpha$. Since the supercube and the cofactor operators commute [4], then $\tilde{\alpha} = \alpha \cap \text{supercube}(Q'_{\alpha})$.
- Page 301 Line 4 in Example 7.3.13

- *Errata:* F'_a
- *Corrige:* $F_{a'}$
- Page 326: Line: 3 in Example 7.5.8
 - *Errata:* $(\{OR, ADD\}; \{AND, JMP\})$
 - *Corrige:* $(\{OR, JMP\}; \{AND, ADD\})$
- Page 326: Line: 2 in first table of Example 7.5.8
 - *Errata:* $p_2|(\{OR, ADD\}; \{AND, JMP\})$
 - *Corrige:* $p_2|(\{OR, JMP\}; \{AND, ADD\})$
- Page 327: Line: 2
 - *Errata:*

$$\mathbf{E} = \begin{bmatrix} 1 & 0 \\ 1 & 1 \\ 0 & 0 \\ 0 & 1 \end{bmatrix} \tag{1}$$
 - *Corrige:*

$$\mathbf{E} = \begin{bmatrix} 1 & 0 \\ 1 & 1 \\ 0 & 1 \\ 0 & 0 \end{bmatrix} \tag{2}$$
- Page 327: Line: 3 in table of Example 7.5.9
 - *Errata:* $d_3|(\{OR, JMP\}; \{AND, OR\})$
 - *Corrige:* $d_3|(\{OR, JMP\}; \{AND, ADD\})$
- Page 370: Line: -2
 - *Errata:* ba_xde
 - *Corrige:* a_xde
- Page 381: Line: -2
 - *Errata:* y_4 and y_3
 - *Corrige:* z_1 and z_2
- Page 426: Line: 13
 - *Errata:* controlling
 - *Corrige:* non-controlling
- Page 493: Line: -7

- Errata: $\mathcal{S}_{x,p,q}(\chi(x,p,q,\hat{p},\hat{q}))\tilde{p}\tilde{q}' = \mathcal{S}_{x,p,q}(\tilde{p}'\tilde{q}'(x'p'q)) = p'q$
- Corrige: $\mathcal{S}_{x,p,q}(\chi(x,p,q,\hat{p},\hat{q})\tilde{p}\tilde{q}') = \mathcal{S}_{x,p,q}(\tilde{p}'\tilde{q}'(x'p'q)) = p'q$

- Page 548: Lines: 15-16

- Errata: *ICCAD, Proceedings of the International Conference on Computer Aided Design*
- Corrige: *ICCD, Proceedings of the International Conference on Computer Design*